

AEM 617

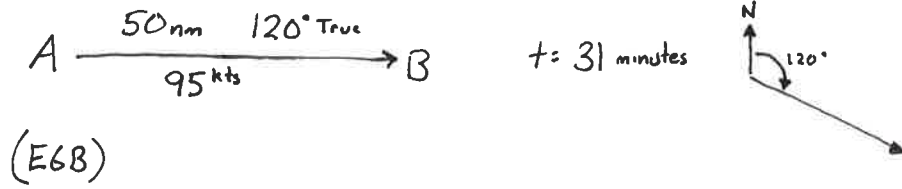
Communications Systems  
+  
Navigation Systems

# Navigation:

1) Visual reference to ground features

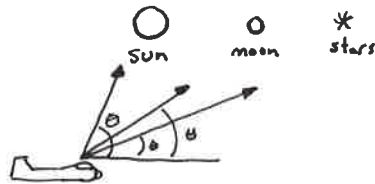


2) Dead Reckoning

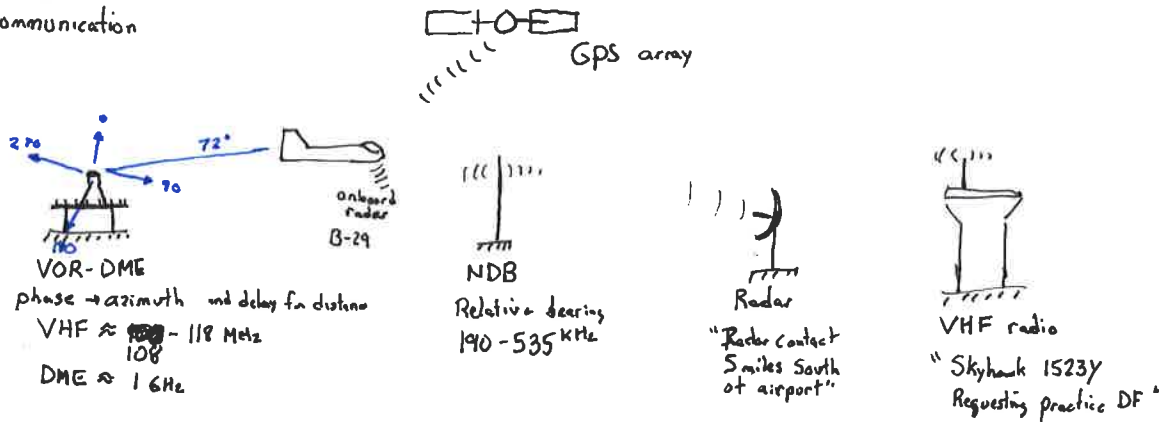


Note: Nautical mile (nm)  $\approx$  6076.1 ft  $\neq$  5280 ft

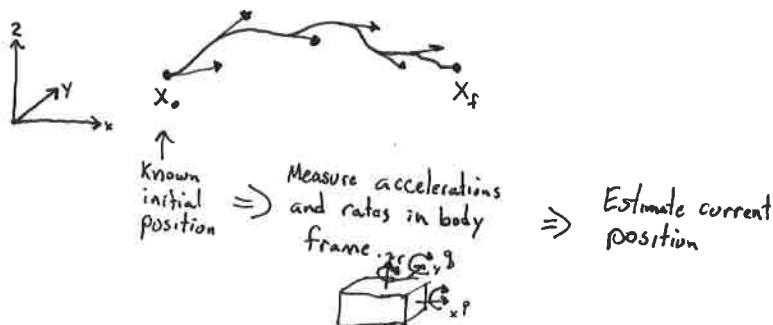
3) Celestial Navigation



4) Radio Communication



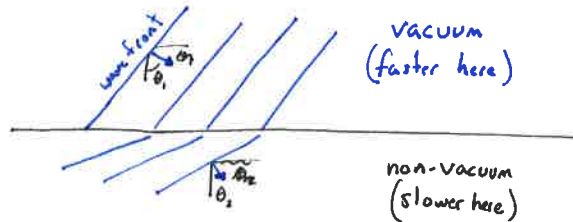
5) Inertial Navigation



# Antennas

Propagation speed of radio waves (vacuum)  $\approx 299\,792\,458 \frac{\text{m}}{\text{s}} \equiv c$

In a non-vacuum, propagation is slower than  $c$ . For transparent materials, the index of refraction is the ratio of  $c$  to  $v$ . ( $n = \frac{c}{v}$ ) This is the same as the index of refraction in optics (as can be easily shown)



Snell's law

$$n_1 \sin \theta_1 = n_2 \sin \theta_2$$

At  $589 \text{ nm}$  ("Sodium doublet" absorption lines in light spectrum from  $\text{Na}$ ), the refractive index for air is  $1.0003$ . Thus the propagation of radio signals is  $\approx 299\,700\,000 \frac{\text{m}}{\text{s}}$ . ( $90\,000 \%$  slower)  
 $\approx 2.997 \times 10^8$

Aside: (Maybe try at home... be careful) You can see exactly the Na doublet easily.

- 1)  $\text{NaCl} + \text{H}_2\text{O}$
- 2) wick of a paper towel piece rolled up
- 3) lighter + drip wick in flame.
- 4) Watch  $589 \text{ nm}$  around outside of flame.

In  $\text{H}_2\text{O}$ ,  $n = 1.33$ .

In a diamond,  $n = 2.419$ .

## EMF wavelength

$$c = \lambda f$$

technically  $v = \frac{c}{n}$

"wavelength times frequency is a constant"

• So  $589 \text{ nm}$  is a frequency of  $f = \frac{c}{\lambda} = \frac{299\,700\,000 \frac{\text{m}}{\text{s}}}{589 \times 10^{-9} \text{ m}} = \frac{2.997 \times 10^8}{589 \times 10^{-9}} = 5.09 \times 10^{14} \frac{1}{\text{s}}$

$$\approx 509\,000.6 \text{ Hz!}$$

• A  $108 \text{ MHz}$  VOR station has a wavelength of  $\lambda = \frac{c}{f} = \frac{2.997 \times 10^8 \frac{\text{m}}{\text{s}}}{108 \times 10^6 \frac{1}{\text{s}}} =$

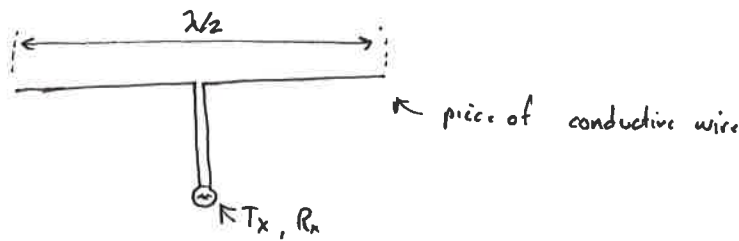
$$\approx 0.5 \text{ m}$$

$$= 2.78 \text{ m} \approx 109 \text{ inches}$$

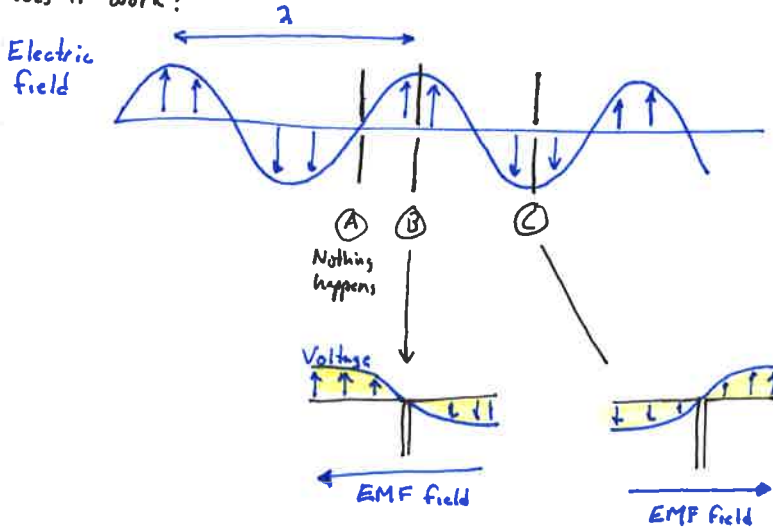
• An NDB at KELK on  $243 \text{ kHz}$  has a wavelength of

$$\lambda = \frac{c}{f} = \frac{2.997 \times 10^8 \frac{\text{m}}{\text{s}}}{243 \times 10^3 \frac{1}{\text{s}}} = 1230 \text{ m} \approx 4000 \text{ ft}$$

# Dipole Antenna



How does it work?

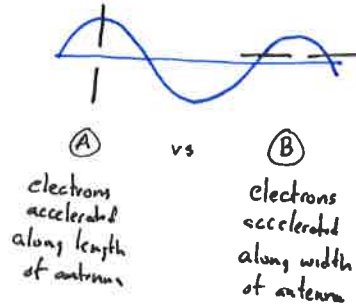


Think of the electric field as pushing electrons back and forth across wire along.

These standing waves of voltage also have a corresponding current,

Radiation pattern.

The dipole is strongly directional



In fact the dipole has a pattern shaped like a torus



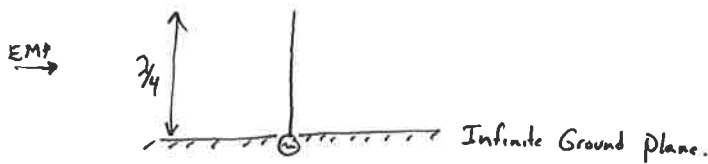
Length:

Wire diameter slightly changes the length

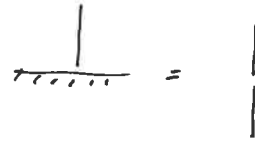
$$L \approx \frac{1}{2} k \frac{c}{f} = \frac{1}{2} k \lambda \quad \text{with } k \approx 0.95$$

$$L \approx \frac{468}{f [\text{MHz}]}$$

# Monopole Antenna ( $\frac{1}{4}$ wave monopole) ("Marconi" antenna)



Considering symmetry, this is just half of a  $\frac{1}{2}$  wave dipole



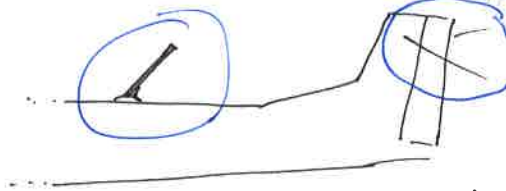
Length:

$$\frac{\lambda}{4}$$

practical



• VOR at 108 MHz  $L = \frac{1}{4} K \frac{c}{f} = \frac{1}{4} \cdot 0.95 \cdot \frac{2.997 \times 10^8}{108 \times 10^6} = 0.694 \text{ m} \approx 27 \text{ inches}$



• NDB at 243 kHz

$L \approx \frac{2800}{f \text{ [kHz]}} = \frac{2800}{0.243} = 11500 \text{ in}$

$\frac{1}{4} \cdot 0.95 \cdot 2.997 \times 10^8 / 1.0000$  converted to inches.



Ever see this? NDB antennas use a different method!!

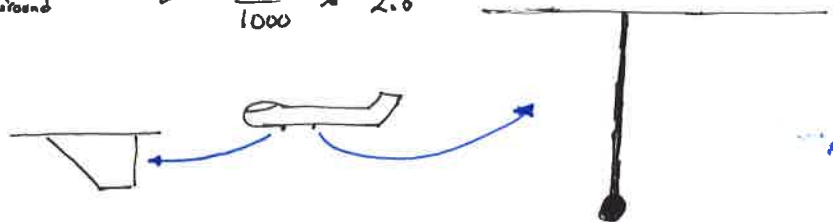


Loop seen on older aircraft

• Transponder

1030 MHz Gnd to plane  
1090 MHz plane to Ground

$$L = \frac{2800}{1000} \approx 2.8 \text{ in}$$



• Glide slope

$$\approx 330 \text{ MHz} \approx 8.5 \text{ in}$$



• Marker Beacon

$$75 \text{ MHz} \approx 37 \text{ in}$$

often a "bent" antenna

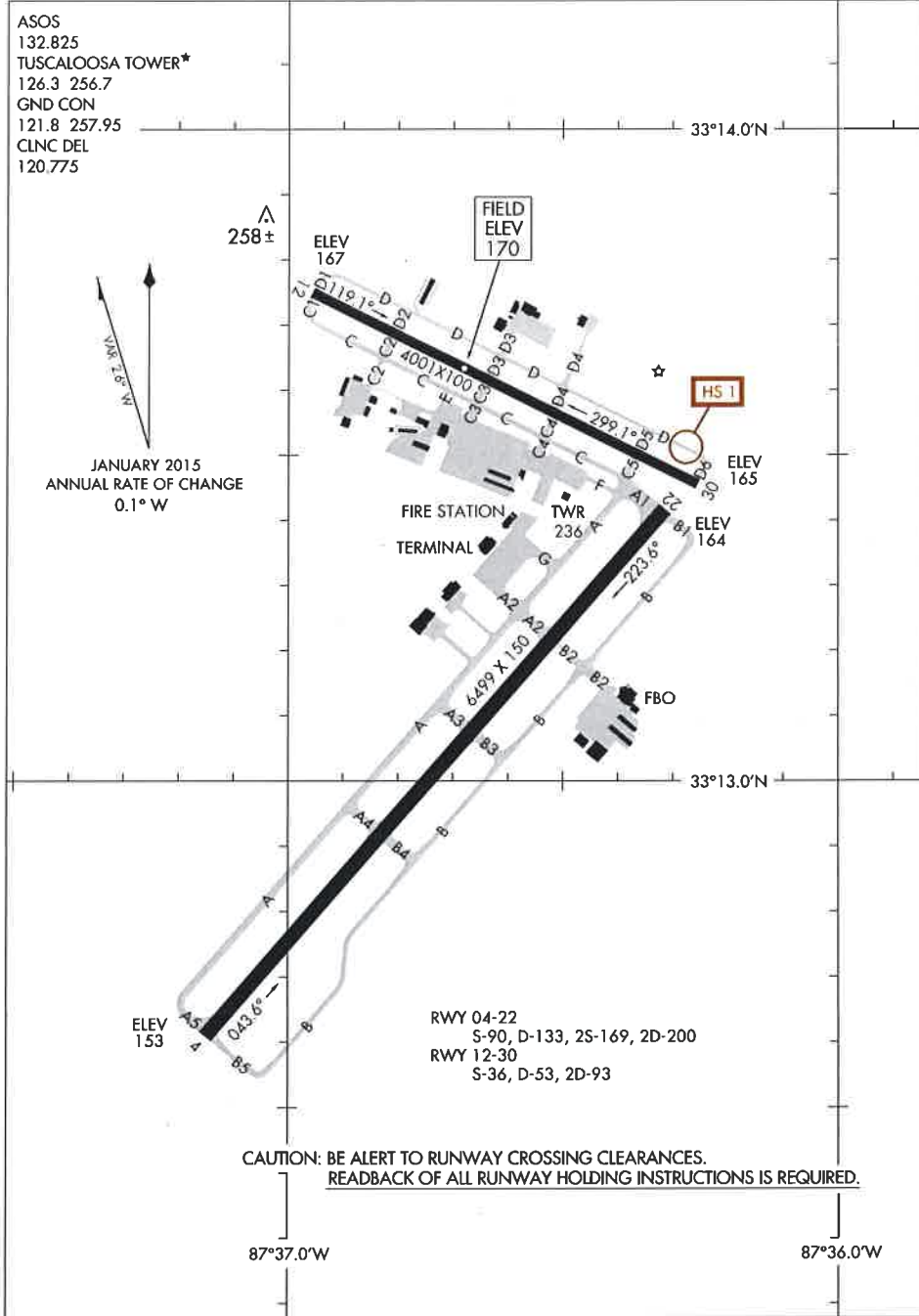


Marker beacon station is directional (up!!)

15232  
**AIRPORT DIAGRAM**

AL-487 (FAA)

TUSCALOOSA RGNL (TCL)  
 TUSCALOOSA, ALABAMA



SE-4, 03 MAR 2016 to 31 MAR 2016

SE-4, 03 MAR 2016 to 31 MAR 2016

**AIRPORT DIAGRAM**  
 15232

TUSCALOOSA, ALABAMA  
 TUSCALOOSA RGNL (TCL)

