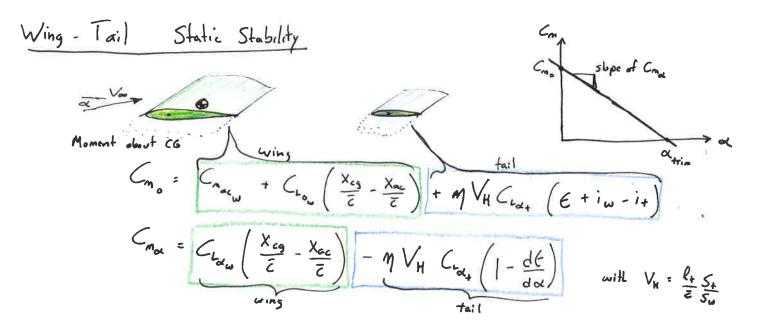
Lesson 14 part 2

Neutral Point + Static Margin

Fuselage + Propulsion

Effects on Static

Stability



Trim &

$$Y = ax + b = C_{ma} \propto + C_{mo}$$

$$V = ax + b$$

$$V = C_{ma} \propto C_{mo} \propto + C_{mo}$$

$$V = C_{ma} \propto C_{mo} + C_{mo}$$

Q: How does increasing it (the tail incidence angle) affect triang

Often, we place the CG near on on the A.C. for understanding the concepts and for a safe estimate of CG on an unknown arcraft.

$$\frac{1}{2} \frac{1}{2} \frac{1$$

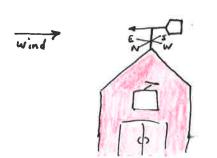
Q: In the dosense of a wing, we have

$$\frac{d\epsilon}{d\alpha} = 0 \quad (no \quad virg)$$

$$C_{max} = 0 \quad f$$

$$\epsilon_{0} = 0 \quad f$$

We call this a wind vane



Propulsion Contribution

propulsion greatly affects the stability and trim of aircraft.

$$C_{mod} \qquad C_{trin} = -\frac{C_{mo}}{C_{mod}}$$

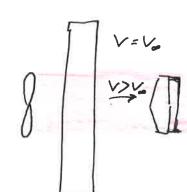
* Dynamic Pressure M = 8+

\[
\frac{8}{9}\times

\]

Stability (eg at ac)

Cma = - MVH Chat (1 - de)



This is particularly true at low speaks for propeller aircreft.

M is proportional to V2

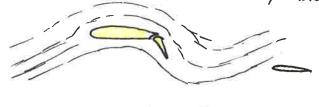
Trim (cg of ce)

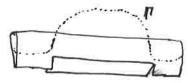
Cmacy is usually negative.

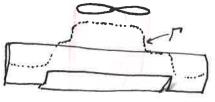
Adding power in a propelly are tends to raise the nose from y

· Down wash

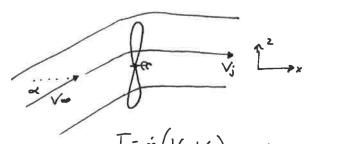
propulsion can change the lift distribution of the wing, which impacts the tail. This is especially notable in a flap condition.







· Normal Forces



T=m(Vj-Van) vector quantity!

In z-directun:

$$N = -\dot{m} \left(V_{J_2} - V_{\infty_2} \right) = -\dot{m} \left(V_{N_2} - V_{\infty_2} \right) = +\dot{m} \left(V_{N_2} - V_{\infty_$$

$$N = \dot{m} V_{\infty} \propto \approx \rho V A V \propto$$

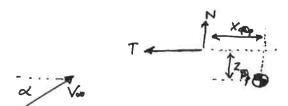
$$\approx \frac{1}{2} \rho V^{2} / A A \propto 2$$

$$\dot{M} = \frac{T}{V_J - V_{00}} \Rightarrow N = \dot{M} V_{00} d = \frac{T V_{00}}{V_J - V_{00}} d$$



This also occurs with sideslip.

· Thrust Moment



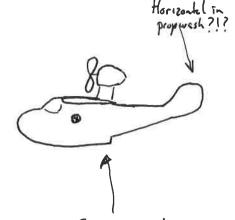
Xp = horizontal fil distance
Zp = vertical fil distance

$$= -\frac{T}{gs_w} \cdot \frac{Z_p}{\bar{c}_w} + \frac{N}{gs_w} \cdot \frac{X_p}{\bar{c}_w}$$

for our Normal force model,

$$C_{m_{2}g_{p}} = \frac{T}{qS_{w}} \cdot \frac{Z_{p}}{c} + \frac{8A_{p}2d}{gS_{w}} \frac{x_{p}}{c_{w}}$$

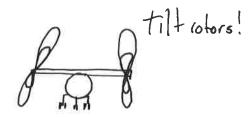
$$= -\frac{T}{qS_{w}} \cdot \frac{Z_{p}}{c} + \frac{A_{p}2d}{S_{w}} \frac{x_{p}}{c_{w}}$$

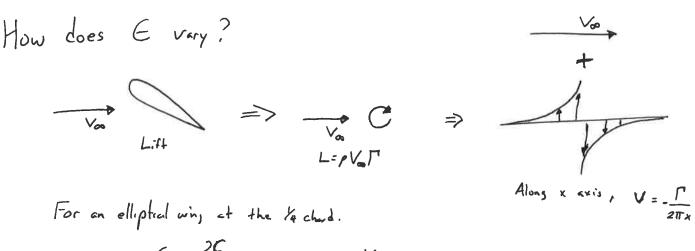


Notice:

- · The Thrust term contributes to trim (Cno) Scaplanes!
- · The Normal force term decreases stability for forward (x0>0) locations

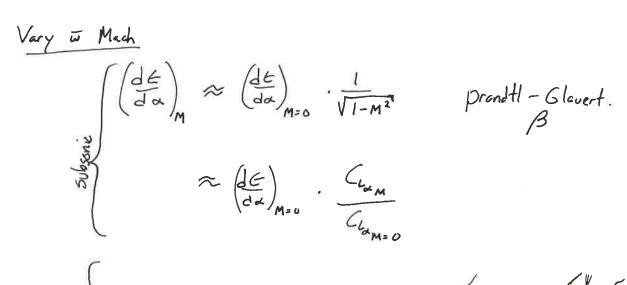
Aircraft with large disk creas have less stability to power





$$E = \frac{2C_L}{tTAR}$$
 $\Rightarrow \frac{dE}{da} = \frac{2C_{La}}{TTAR}$ and $E_0 = \frac{2C_L}{TTAR}$

In the Cm tems, we see Eo and 1-de often.

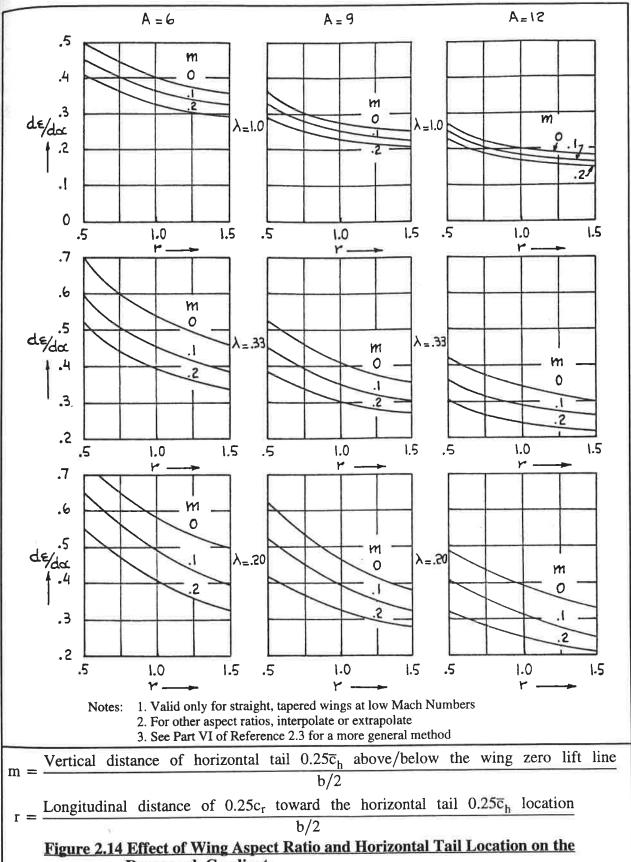


depends on geometry

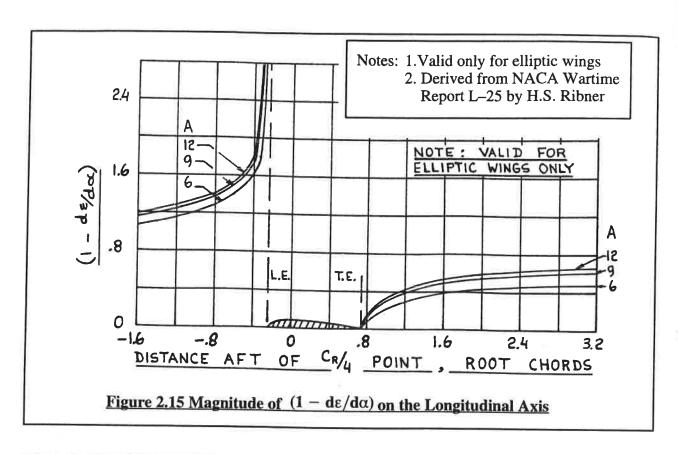
and

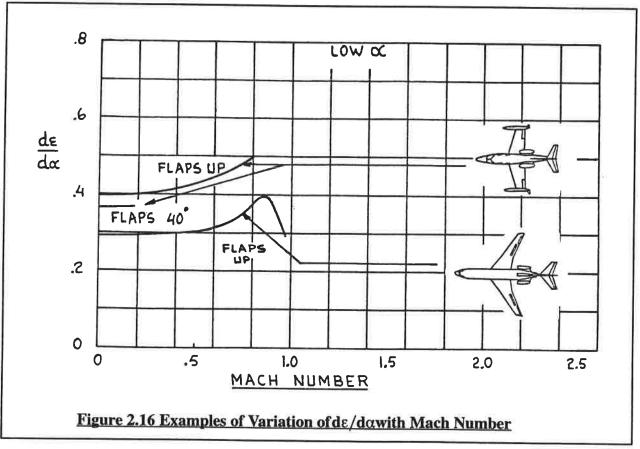
Much #

Although, in the limit as x-a large, the wake appears similar to subsonic.



Downwash Gradient





Neutral Point (Stick Fixed)

Static Margin

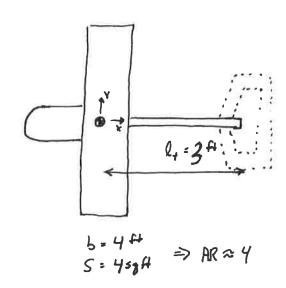
The distance between the neutral point and the actual CG.

SM & 10%-15% is ok

SM 2 2-5% is not placent to fly (usually)

SM > 25% is often too stable and not trimmble at low speeds.

Ex: Size the horizonal tail for a static margin of 10% with the CG at 1/4c



$$SM = \frac{X_{NP}}{c} = \frac{X_{CG}}{c} = 10\% \Rightarrow \frac{X_{NP}}{c} = +0.10 + 0.25 = 0.35$$
LE 0.45

Assuming no power or fuselage effects.

0.35

0.25

$$X_{AB} = X_{A} + MV_{H} = X_{A} + MV_{H} = X_{A} = X_{A}$$

Ex: Some Aircrett but C6 at 75% &

$$5M = \frac{x_{NP}}{\overline{c}} - \frac{x_{S}}{\overline{c}} = 10\%$$

$$\frac{x_{NP}}{\overline{c}} = 85\%$$

We would also need to check Come to ensure that the horizontal is operating at a reasonable Cut for a given of trim range.

i+ = - 0.04 red = -2.4 ° reasonable

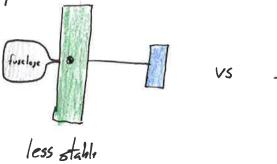


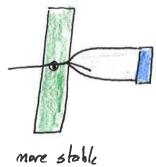
Obviously since we specified that Cas = 0 !

Trimmed for CL=0

Fuselage Contribution

The fuselage generates lift and dray and moments. Neglecting the impact is a serious error.

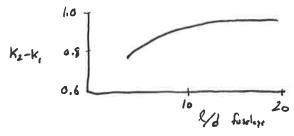




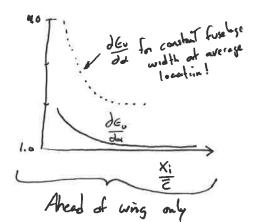
Multhopp's method for computing Company and Conag is: NACA TM-1036, 1942

$$C_{m_{of}} = \frac{k_2 - k_1}{36.5 \cdot S \cdot \overline{z}} \int_{0}^{k_f} W_f^2 \left(\propto_{o_w} + i_f \right) dx$$

$$\approx \frac{k_2 - k_1}{36.5 \cdot S \cdot \overline{z}} \leq W_f^2 \left(\prec_{o_w} + i_f \right) \Delta x$$



$$C_{m_{\alpha f}} = \frac{1}{36.5 \cdot 5 \cdot \epsilon} \int_{0}^{\ell_{f}} \omega_{f}^{2} \frac{d\epsilon}{dx} dx$$



X is an average / integrated tem

